

# Temperature dependence of nuclear properties

Octav Olteanu \*

Department of Mathematics-Informatics, Buchares ,Romania

Email: [octav.olteanu50@gmail.co](mailto:octav.olteanu50@gmail.co)

(Received 10 june,2021; accepted 20 June, 2021;Published 30 June 2021 ) and below  
To Physics Journal 8(1) (2021) pp 1-2

## Abstract:

In this work, we take a look at the modifications withinside the nuclear houses with the aid of using acting systematic calculations on the chosen isotopic and isotonic chains of nuclei with growing temperature. The finite temperature Hartree-Fock-Bogoliubov (FT-HFB) calculations are completed the usage of the Skyrme-kind SkM\* practical and mixed-kind pairing interaction. The modifications withinside the pairing houses, inner excitation energies, entropy, two-neutron separation energies, and neutron pores and skin thickness of nuclei are systematically studied. It is proven that each the inner excitation power and entropy are touchy to the modifications withinside the pairing houses of nuclei underneath the vital temperatures. At excessive temperatures and after  $T \geq 1$  MeV, each of them boom rapidly. The nuclei close to the neutron drip strains are affected extra with the aid of using the temperature outcomes because the continuum outcomes begin to emerge as dominant round those regions. On the alternative hand, the inner power and entropy aren't touchy to the boom withinside the proton number, and the modifications stay nearly strong alongside an isotonic chain with growing temperature..

**Keywords:** Nuclear energy density functional,Hartree-Fock-Bogoliubov,Finite temperature.

## INTRODUCTION

The equation  $gg = gg \circ f f$  (1) wherein  $g$  is given, at the same time as  $f$  is the unknown feature, constantly has the trivial answer  $f(x) = x$ ,  $\square x \square D$ , wherein  $D$  is the area of definition for  $f$ . When (the nonlinear) feature  $g$  is first of all lowering after which increasing (hence  $-g$  first of all will increase after which decreases), there exists precisely one lowering nontrivial answer  $f$ , with the proprieties said in Theorem 3.1 below. These equations have been studied in [3]-[6]. The gift evaluate paper is in particular primarily based totally on article [4]. For concrete features  $g$ , one obtains special homes of the corresponding answers  $f$ . The gift technique permits the development of the answers of such practical and operatorial equations, with out the usage of the implicit feature theorem. In the operatorial case the answer  $F$  is a feature of  $U \square D \square X$ , wherein  $X$  is the commutative algebra of selfadjoint operators described via way of means of  $\cdot$ . We basically use the reality that  $X$  is likewise an order-whole vector lattice, with appreciate to the herbal order relation at the actual vector area ( $H$ ) of all selfadjoint operators appearing at the Hilbert area  $H$ . The history of this paper is partly protected via way of means of a few chapters from [1] and [9]. Some different sorts of practical and operatorial equations are mentioned in [2], [7]. The relaxation of the paper is prepared as follows. Section 2 emphasizes the strategies carried out alongside this work. In the primary a part of Section 3, we recollect a few regarded consequences at the subject, specially associated with the actual case. Then we keep in mind the case of complex analytic features. The popular concept is that analyticity of  $gg$  implies the identical assets for  $ff$ . In the cease of Section 3, concrete practical and operatorial equations are solved and easy examples while the answer may be written explicitly in phrases of simple features are given. Section four concludes the paper. The following general points should be noted from the table:

For the lighter nuclei, if we look at the most common isotope,  $N$  is approximately equal to  $Z$ .

As we get to heavier nuclei, past  $Z = 20$ , we begin to see  $N$  considerably greater than  $Z$ . This is more and more true as nuclei get heavier.

Bismuth is the heaviest stable nucleus. Heavier nuclei exist but they are all unstable -- they undergo certain spontaneous changes which we observe as radioactivity. Nuclei from  $Z = 84$  (polonium) to 92 (uranium) are found in nature (on earth) and all their isotopes are radioactive.

Nuclei heavier than uranium exist but they are all artificial -- they have been created by scientists in laboratories. The heaviest known nucleus has  $Z = 118$ . It was produced just recently. The nucleus is made up of protons and neutrons. The symbol for the number of protons is " $Z$ " (also called the atomic number); the symbol for the number of neutrons is " $N$ ". The total number of protons and neutrons is called " $A$ ". The binding energy per nucleon is a measure of the relative stability of a nucleus. The more tightly bound a nucleus is, the larger the binding energy per nucleon is. The total binding energy is clearly the most important part of Weizsacker's equation, and it has evolved into what is called the semiempirical mass equation. The chapter also discusses quantum mechanical properties and electric and magnetic moments.

Various compounds of silver have been used for dental purposes such as silver nitrate, as a compound with fluoride, and also with tin. This chapter focuses on the general properties of nuclei, including their masses and matter distributions. The average size and stability of a nucleus can be described by the average binding of the nucleons to each other in a macroscopic model, while the detailed energy levels and decay properties can be understood with a quantum mechanical or microscopic model. One of the most important nuclear properties that can be directly measured is the mass. Nuclear or atomic masses are usually given in atomic mass units or their energy equivalent. The binding energy per nucleon is a measure of the relative stability of a nucleus. The more tightly bound a nucleus is, the larger the binding energy per nucleon is. The total binding energy is clearly the most important part of Weizsacker's equation, and it has evolved into what is called the semiempirical mass equation. The chapter also discusses quantum mechanical properties and electric and magnetic moments. At the end of 1895, Wilhelm Roentgen discovered X-rays and in 1896 Becquerel, experimenting with Uranium, discovered radioactivity. In 1897 J. J. Thomson discovered the electron, a negatively charged particle more than two thousand times lighter than a

hydrogen atom. In 1906 Thomson suggested that each atom contained a number of electrons roughly equal to its atomic number. Since atoms are neutral, the charge of these electrons must be balanced by some kind of positive charge. Thomson proposed a 'plum pudding' model, with positive and negative charge filling a sphere only one ten billionth of a meter across. This plum pudding model was generally accepted. Even Thomson's student Rutherford, who would later prove the model incorrect, believed in it at the time

## CONCLUSION

We have proved that beneathneath positive assumptions at the given characteristic  $gg$ , there exists a completely unique nontrivial answer  $ff$  of the purposeful equation . In case of actual capabilities  $gg$  of 1 actual variable, verifying the circumstance of Theorem 3.1, the nontrivial strictly reducing answer  $ff$  has as particular constant factor the particular minimal factor of  $gg$ . The actual case for scalar-valued capabilities results in generalization to capabilities of self-adjoint operators, by purposeful calculus (while inequalities are preserved). Along the proofs of those first results, the implicit characteristic theorem isn't used, even withinside the case while  $gg$  is smooth. In the case of actual valued capabilities  $gg$ , a geometrical that means of the development of the nontrivial answer  $ff$  is talked about withinside the remark following